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A COMPUTER PROGRAM FOR ESTIMATION OF PARAMETERS OF THE  
WEIBULL INTENSITY FUNCTION AND FOR THE CRAMER-VON MISES  
GOODNESS OF FIT TEST

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# A COMPUTER PROGRAM FOR ESTIMATION OF PARAMETERS OF THE WEIBULL INTENSITY FUNCTION AND FOR THE CRAMER-VON MISES GOODNESS OF FIT TEST

## 1. INTRODUCTION

The Weibull intensity function

$$U(X) = \lambda \beta X^{\beta-1} \quad (1.1)$$

$\lambda > 0$ ,  $\beta > 0$ ,  $X > 0$ , is frequently used as a model for the determination of reliability growth and wear-out characteristics for a wide variety of complex, repairable systems. The failure rates of military equipment such as vehicles, aircraft, guided missiles, electronic computer systems, and ammunition are being evaluated using this model.

Formulas have been developed by the Army Materiel Systems Analysis Activity (AMSAA) for the maximum likelihood estimation of the unknown parameters  $\lambda$  and  $\beta$ , based upon sample data. These estimation formulas for the Weibull process, found in Crow (1975), can be stated as

$$\hat{\beta} = \frac{\sum_{i=1}^K N_i}{\hat{\lambda} \sum_{i=1}^K (T_{i2}^{\hat{\beta}} \ln T_{i2} - T_{i1}^{\hat{\beta}} \ln T_{i1}) - \sum_{i=1}^K \sum_{j=1}^{N_i} \ln X_{ij}} \quad (1.2)$$

$$\hat{\lambda} = \frac{\sum_{i=1}^K N_i}{\sum_{i=1}^K (T_{i2}^{\hat{\beta}} - T_{i1}^{\hat{\beta}})} \quad (1.3)$$

where:

$K$  is the number of systems under study;

$N_i$  is the total number of failures (or occurrences of an event under study, such as unscheduled maintenance actions; etc.)

for the  $i^{\text{th}}$  system;

$T_{i1}$  is the starting time of the period of continuous observation of the  $i^{\text{th}}$  system;

$T_{i2}$  is the ending time of the period of continuous observation of the  $i^{\text{th}}$  system;

$X_{ij}$  is the  $j^{\text{th}}$  time of occurrence of the failure (or event), for the  $i^{\text{th}}$  system;

$\ln$  is the natural logarithm, and  $0 \cdot \ln(0)$  is defined to be 0.

To expedite the computation of these estimates, AMSAA developed a FORTRAN computer program to calculate  $\hat{\beta}$  and  $\hat{\lambda}$ . That program, which was documented in Belbot (1974), was successfully employed by the U S Army Materiel Development and Readiness Command (DARCOM), various subordinate commands and several project managers' offices, as well as by AMSAA. After the parameters were determined by that program, a goodness of fit test was frequently used to test statistically the hypothesis that the failure times of the systems being analyzed followed a nonhomogeneous Poisson process with Weibull intensity function (see Crow [1975]). The modified Cramér-Von Mises goodness of fit statistic was computed, either by hand or by a separate computer program.

Obviously, the consolidation of an automated goodness of fit test with the computer routine which estimates the parameters  $\hat{\beta}$  and  $\hat{\lambda}$ , would increase efficiency and accuracy. Either the manual calculations or the use of a separate program would be eliminated. To accomplish properly this consolidation, the estimation procedure was subordinated to a new main program which also controls the input of data and the execution of the goodness of fit test. Because of the radical nature of this redesign, it was appropriate to incorporate other new features at the same time. Principal among these new features are a simplified input procedure and dynamic data storage allocation. The resulting computer program is easier to use and provides more information than its antecedent program. This note will explain the structure and the use of this new program.

## 2. COMPUTING PROCEDURE

### 2.1 Estimation of Parameters

Since the formulas (1.2) and (1.3) do not, in general, yield  $\hat{\beta}$  and  $\hat{\lambda}$  in closed form, an iterative technique is required. Formula (1.2) may be recast as

$$\frac{\sum_{i=1}^K \sum_{j=1}^{N_i} \ln X_{ij}}{\sum_{i=1}^K N_i} - \frac{\sum_{i=1}^K (T_{i2}^{\hat{\beta}} \ln T_{i2} - T_{i1}^{\hat{\beta}} \ln(T_{i1}))}{\sum_{i=1}^K (T_{i2}^{\hat{\beta}} - T_{i1}^{\hat{\beta}})} - \frac{1}{\hat{\beta}} = 0 \quad (2.1)$$

by replacing  $\hat{\lambda}$  by its equivalent expression from equation (1.3), and by execution of a few simple algebraic operations. Equation (2.1) now consists of a constant with regard to  $\hat{\beta}$ , minus a function of  $\hat{\beta}$ , yielding 0, or simply

$$A - D(\hat{\beta}) = 0 \quad (2.2)$$

The correct value of  $\hat{\beta}$  will satisfy equation (2.2) and can be used to calculate the corresponding value of  $\hat{\lambda}$ .

The solution for  $\hat{\beta}$  is iteratively determined in the following way. For an initial estimate  $\hat{\beta}'$  which is assumed to be larger than the true  $\hat{\beta}$ , the expression  $A-D(\hat{\beta}')$  is evaluated. For all values of  $\hat{\beta}'$  larger than the true  $\hat{\beta}$ , the subtraction yields a negative result. After each negative result,  $\hat{\beta}'$  is reduced by the initial step size of 1, and  $A-D(\hat{\beta}')$  is again evaluated.

When a positive number results from the subtraction, indicating that  $\hat{\beta}'$  is too small, the step size is decreased to 0.10 of the present step size, the previous value of  $\hat{\beta}'$  which gave a negative result for  $A-D(\hat{\beta}')$ , is adjusted by the new step size and the evaluation process begins again.

The iteration procedure continues, adjusting  $\hat{\beta}'$  by the new step sizes, until the left side of equation (2.2) is within a specified tolerance  $\epsilon$  of 0.  $\hat{\lambda}$  is then calculated based on  $\hat{\beta}$ , using factors already computed in finding  $\hat{\beta}$ . This procedure is summarized by the state diagram (Figure 2.1).

## 2.2 Goodness of Fit Test

The Cramer-Von Mises Goodness of Fit Test is appropriate whenever the starting time of each system is equal to 0. To perform this test, the program first transforms the failure times. For time truncated testing, the failure times for each system are divided by the ending time of the test period for that system. In failure truncated testing, for every system, all the failure times except the last, are divided by the last failure time. The last failure time is thereafter excluded from the calculations and the number of transformed failures is one less than the original number of failures for each such system. All the transformed failure times are then sorted into increasing order.

Next, the unbiased estimate  $\bar{\beta}$  of the estimated shape parameter  $\hat{\beta}$ , is calculated using the relation:

$$\bar{\beta} = \frac{M-1}{N} \hat{\beta} \quad (2.3)$$

where:

M is the number of transformed failure times;  
and N is the number of original failure times.



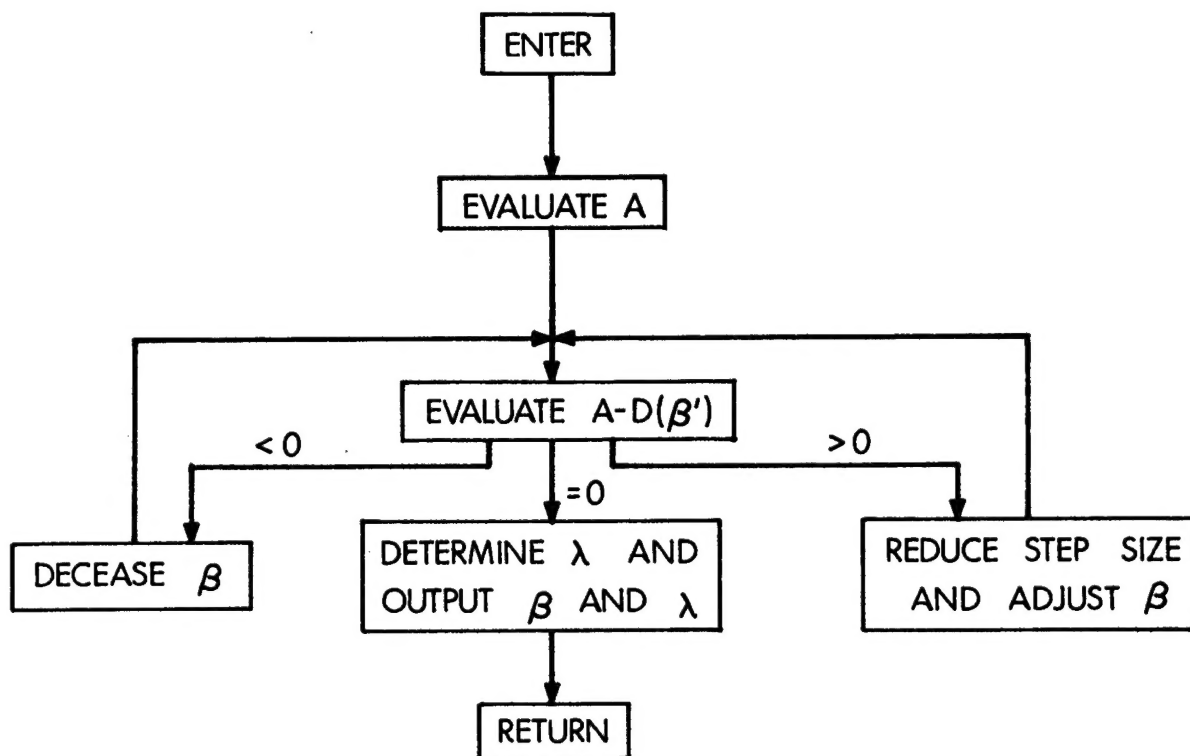


Figure 2.1 State Diagram

Finally, the Cramer-Von Mises statistic  $C_M^2$  is computed by the formula:

$$C_M^2 = \frac{1}{12M} + \sum_{i=1}^M \left( Z_i^{\beta} - \frac{2i-1}{2M} \right)^2 \quad (2.4)$$

where the  $Z_i$  are the transformed failure times. An explanation of this test and a table of critical values of  $C_M^2$  may be found in Crow (1975).

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### 3. DESCRIPTION OF PROGRAM

#### 3.1 Major Features

The program, which is listed in Appendix A, has some important features. First, the program is written in American National Standards Institute (ANSI) FORTRAN X3.9-1966, and should therefore execute on any computer having a compiler for this language. Secondly, the amount of storage required to use this program should not cause difficulties since all data arrays are dynamically allocated under control of the main program (see Chung-Phillips, et al., [1975]).

Finally, and perhaps most importantly for the user, this program uses free-field input, that is, no specific format is required for the input data. The time and the effort regularly expended in preparing data for input, are greatly reduced because of this feature. Moreover, the misalignment of data fields to formats, a frequent source of errors in using many computer programs, is eliminated entirely. While no input scheme can be regarded as foolproof, free-field input is much more flexible than fixed-field format specifications.

#### 3.2 Overall Characteristics

All calculations in the program are made in double precision mode. Experience has shown that the use of single precision variables for these calculations often results in significant discrepancies in the estimates of the parameters due to errors accumulated during the iterative process.

The modular structure of the program (see Figure 3.1) reflects organization by functional purpose. The input of data, certain intermediate calculations, the estimation of parameters, and the goodness of fit test are each performed by an independent module. Major subprograms print their results as the values become available. Subroutines which detect errors, print diagnostic messages naming the detecting routine and briefly stating the difficulty, and then attempt to continue processing when possible. Independence of the subroutines is maintained by restricting communication between individual subprograms to the passage of formal parameters in argument lists. No COMMON statements are used.

#### 3.3 Specific Details of Routines

In addition to controlling the major modules, the main program also allocates storage for data arrays, as stated in Section 3.1. The allocation is based upon the maximum number of failures, NFAIL, and the maximum number of systems, NSYS. The master data array, BLOCK, has a length of NTOTAL, equal to the value of NFAIL plus six times the value of NSYS. To redimension the entire program, one merely adjusts the values of NFAIL, NSYS and NTOTAL in the DATA statements at the beginning of the main routine and changes the size of the array BLOCK, also found at the beginning of the main program, to equal the new value of NTOTAL.

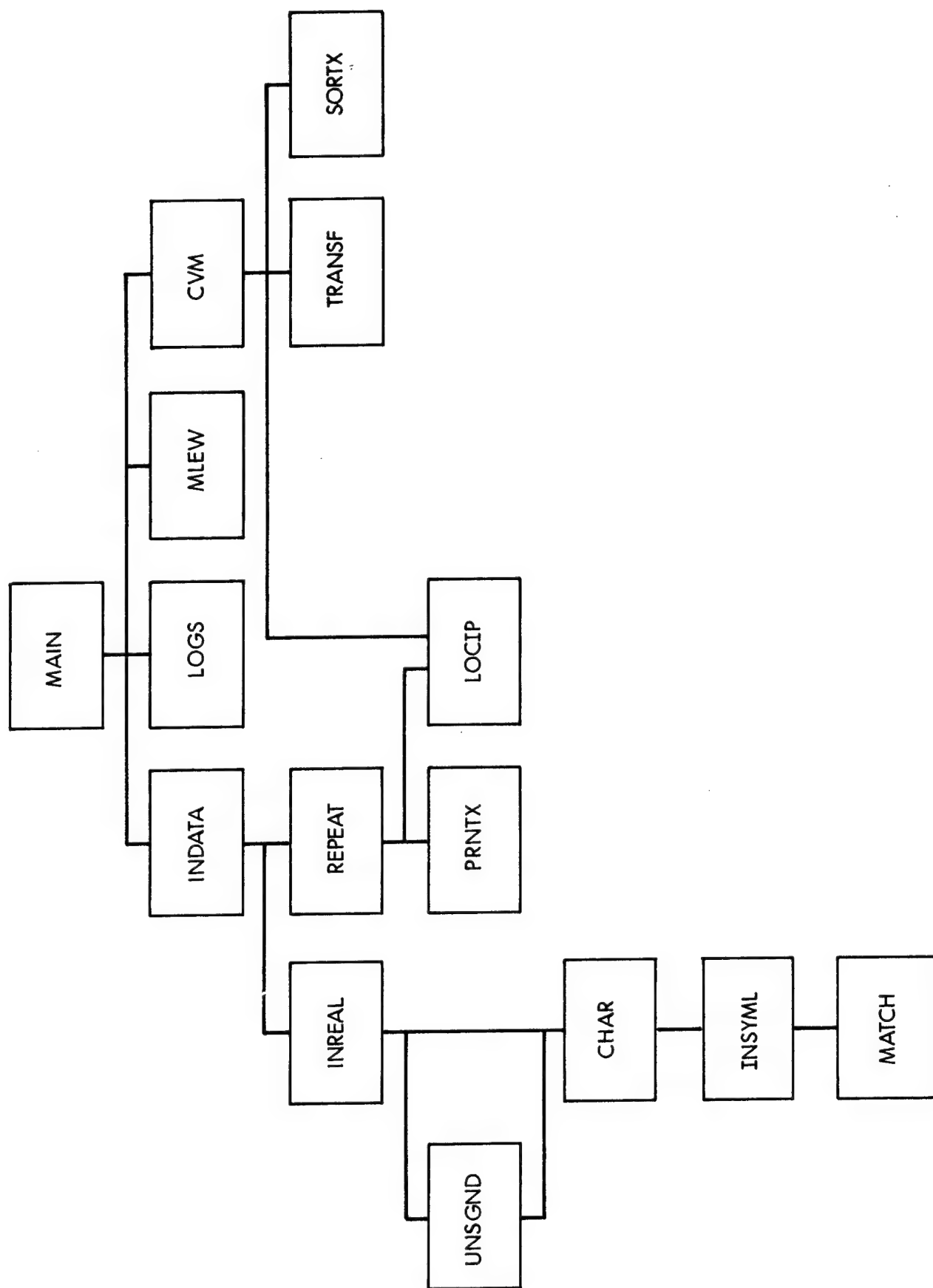


Figure 3.1 Module Organization Chart.

By these actions, all data arrays in all subroutines will be properly resized. Since the program size excluding data arrays, is less than 5,000 words, computer memory requirements can be scaled to problem size through use of this feature.

Also found in the DATA statements at the beginning of the main routine are the unit number for input, IUNIT, and the logical switch ECHO which controls the printing of the input data. Just as the storage allocation values, these values may be changed as needed.

The first major module is for the input of data. The INDATA module reads the beginning and the ending times and the failure times from the input unit, IUNIT. If the logical variable ECHO is true, the submodule REPEAT will print the input, using the LOCIP subroutine to isolate in storage the failures for each system and the PRNTX subroutine to print them. The failure times are stored in a linear array with negative signs appended to the failures associated with even numbered systems. This scheme preserves the identification of the failures with the respective systems without using additional storage.

The free-field reading of data is performed by the INREAL submodule. This submodule, consisting of the routines INREAL, CHAR, INSYML, MATCH and UNSGND, is a translation from ALGOL into FORTRAN of Algorithm 239 of the Association for Computing Machinery (see McKeeman [1964]). Specific details concerning the input arrangement are given in Section 4.

The INDATA subroutine also sets three logical variables depending on the input. If data errors are encountered, the variable NOGOOD is made true. If all systems start at 0.0, then the goodness of fit test will be appropriate and so the variable GOF is set to true. Lastly, when the end of input is reached, the logical variable HALT is returned as true.

The second principal module, LOGS, calculates the logarithms of the beginning and the ending times, and the sum of the logarithms of the failure times. For computational purposes, a beginning time of 0.0 is defined to have a logarithm of 0.0 instead of infinity. Note that failure times of 0.0 are not valid for this model and are flagged as errors by the preceding INDATA module.

The next major module, MLEW, computes the maximum likelihood estimates of the parameters of the Weibull intensity function for the given data, using the formulas discussed in Section 2.1. If unsuccessful, this module will report one of three possible error conditions. The first error message "BETA LESS THAN 0.0000001" indicates that the data should be rechecked for the reasonableness of a very small  $\hat{\beta}$ . The second error message is "INITIAL ESTIMATE OF BETA IS TOO SMALL." Since the initial estimate of BETA is set to 10 at the start of the MLEW subprogram, this message indicates some peculiarity of the data. (In general,  $0 < \hat{\beta} < 10$ .) The third message, "STEP-SIZE HAS BECOME INSIGNIFICANT - BETA NOT RESOLVABLE," indicates that the module has gone as far as

possible trying to meet the tolerance set for the difference  $A-D(\hat{\beta})$ . This tolerance, EPSILN, may be enlarged by changing the assignment statement also located at the beginning of the MLEW subprogram.

The last major module, CVM, performs the Cramér-Von Mises goodness of fit test, as described in Section 2.2. The failure times for each system are located in storage using the LOCIP subroutine, and examined to determine if the testing was time truncated or failure truncated. The failure times are then transformed by the TRANSF subroutine and sorted by the SORTX subroutine. (SORTX is a modification of an utility subprogram described in Campbell, et al., [1970].) The unbiased estimate of  $\beta$ , UNBETA, is calculated next, as explained earlier. The last phase depends on the system starting times. If any starting time is non-zero, the module terminates with a message stating that the Cramér-Von Mises goodness of fit test is not appropriate. Otherwise, the goodness of fit statistic, CM2, is computed and printed.

#### 4. INPUT REQUIREMENTS

As stated previously, the input for this program is free-field. The only requirement regarding spacing is that at least one blank column separate adjacent values. The values must not run together. This means that the program generally takes the same view of the data that a person would, namely, that each cluster of numeric characters constitutes one data value. The only exception to this rule occurs at the boundaries of records. Since the input is treated as a continuous stream, a string of characters beginning in the first column of a record, is considered a continuation of the string of characters ending in the last column of the previous record, if any. Record boundaries are not delimiters; blanks are the only delimiters.

The data required for this program consist of the beginning and ending times of the test period for each system, and the failure times for each system. The arrangement of the input, (which is also stated in the comments of the INDATA subroutine), is by system. The first data value is the beginning time of the first system. The second data value is the ending time of the first system. Next is the failure times for the first system, followed by a negative value to mark the end of the first system. The same pattern, beginning time, ending time, failure times, and negative trailer, is repeated for each subsequent system in the first data case.

Another negative value (making two in a row), signals the end of input of the current data case, and the beginning of the computational procedures. The same arrangement may be repeated for as many cases as desired per program run. When the input routine encounters a negative value after completing a case, (that is, the third negative value in a row), the end of the program run is indicated.

Thus, as a simple example, if one desired to use this program for one run consisting of one case wherein one system experienced seven failures, the input data would be: the beginning time, the ending time, the seven failure times, and three negative values. To demonstrate the latitude of the input requirements, the data for a number of test cases are shown in Appendix B. Notice that any negative value is acceptable as a trailer and that data values may be entered with or without decimal points. Although not shown in the examples, data values may also be in exponential form, that is, containing 'E,' '+' or '-.'

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## 5. TRANSFERABILITY AND MODIFICATION

Since this program is written in standard FORTRAN, transfer to other computer systems should be straightforward. To assist in the transfer process, Appendix C contains the output produced by the program for the input shown in Appendix B. This output was generated on a Control Data Corporation (CDC) Cyber 76 Computer, using the program exactly as listed in Appendix A. (Note that non-standard PROGRAM statement required by the CDC Cyber.)

The input for these test cases came from records of eighty characters each. If the input record length is other than eighty, two changes may be required. The value of the variable LENGTH and, if necessary, the dimensioned size of the array BUFFER, should be adjusted in the INSYML subroutine.

Alternatively, one could replace the entire INREAL submodule. Although these routines were written to be fully transportable, running time might be saved by using the system defined free-field reading capability of any computer having such a feature. As an example, a substitute for the INREAL submodule, suitable for the CDC Cyber 76, is shown in Figure 5.1. Such substitutes, however, are system dependent and not readily transferable.

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FIGURE 5.1 SUBSTITUTE FOR INREAL SUBMODULE

```
SUBROUTINE INREAL (IU, X)
DOUBLE PRECISION X
READ (IU, *) X
RETURN
END
```

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APPENDIX A  
LISTING OF PROGRAM

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C	PROGRAM MAIN (INPUT=/80,OUTPUT,TAPE5=INPUT,TAPE6=OUTPUT)	MAIN 10
C	THE ABOVE STATEMENT IS NON-STANDARD, BUT REQUIRED FOR	MAIN 20
C-	CDC FORTRAN.	MAIN 30
C-		MAIN 40
C-		MAIN 50
C-	MAIN DRIVER FOR WEIBULL INTENSITY MODEL PARAMETER	MAIN 60
C-	ESTIMATION AND GOODNESS OF FIT TEST.	MAIN 70
C-		MAIN 80
C-	(VERSION OF 27 JULY 1979)	MAIN 90
C-		MAIN 100
C-	INPUT REQUIREMENTS ARE DESCRIBED IN THE 'INDATA'	MAIN 110
C-	SUBROUTINE.	MAIN 120
C-		MAIN 130
C		MAIN 140
	DOUBLE PRECISION BETA, SUMLN	MAIN 150
	DOUBLE PRECISION BLOCK(11000)	MAIN 160
	LOGICAL ECHO, FAULT, GOF, HALT, NOGOOD	MAIN 170
C		MAIN 180
	DATA IUNIT /5/	MAIN 190
	DATA ECHO /.TRUE./	MAIN 200
	DATA NFAIL, NSYS /5000, 1000/	MAIN 210
	DATA NTOTAL /11000/	MAIN 220
C		MAIN 230
	WRITE (6,20)	MAIN 240
C		MAIN 250
C	ALLOCATE STORAGE BASED ON MAXIMUM NUMBERS OF FAILURES	MAIN 260
C	AND SYSTEMS.	MAIN 270
	NS2=NSYS*2	MAIN 280
	I1=1	MAIN 290
	I2=I1+NFAIL	MAIN 300
	I3=I2+NS2	MAIN 310
	I4=I3+NS2	MAIN 320
	ITOTAL=I4+NS2-1	MAIN 330
	IF (ITOTAL.LE.NTOTAL) GO TO 10	MAIN 340
	WRITE (6,30) ITOTAL,NTOTAL	MAIN 350
	STOP	MAIN 360
C		MAIN 370
C	BEGIN PROCESSING.	MAIN 380
	10 CALL INDATA (BLOCK(I1),BLOCK(I2),NOGOOD,GOF,HALT,NFAIL,NSYS,M,K,IU	MAIN 390
	INIT,ECHO)	MAIN 400
	IF (HALT) STOP	MAIN 410
	IF (NOGOOD) GO TO 10	MAIN 420
	CALL LOGS (BLOCK(I1),BLOCK(I2),BLOCK(I4),NFAIL,NSYS,M,K,SUMLN	MAIN 430
	CALL MLEW (SUMLN,BLOCK(I2),BLOCK(I3),BLOCK(I4),FAULT,NSYS,M,K,BET	MAIN 440
	1A)	MAIN 450
	IF (.NOT.FAULT) CALL CVM (BLOCK(I1),BLOCK(I2),NFAIL,NSYS,M,K,BETA,	MAIN 460
	1GOF)	MAIN 470
	GO TO 10	MAIN 480
C		MAIN 490
	20 FORMAT (71H1 WEIBULL INTENSITY MODEL PARAMETER ESTIMATION AND GOOD	MAIN 500
	NESS OF FIT TEST/25HC VERSION OF 27 JULY 1979////)	MAIN 510
	30 FORMAT (33H1 AMOUNT OF STORAGE REQUESTED IS ,I6,40H WORDS. AMOUNT	MAIN 520
	1 OF STORAGE AVAILABLE IS ,I5,25H WORDS. PROGRAM ABORTED./)	MAIN 530
	END	MAIN 540

```

SUBROUTINE CVM (X,C,NFAIL,NSYS,M,K,BETA,GOF)
COMMENT      THIS SUBROUTINE PERFORMS THE CRAMER-VON MISES GOODNESS
C            OF FIT TEST.
C
DOUBLE PRECISION X(NFAIL), C(NSYS,2)
DOUBLE PRECISION BETA, CM2, DM, SUMSQS, TQ, TWOM, UNBETA
DOUBLE PRECISION TERM, TERM1, TERM2
LOGICAL GOF
LOGICAL TIMETR
C
WRITE (6,60) BETA,M
IP=0
IBT=1
TIMETR=.TRUE.
N=M
C
DO 30 J=1,K
IB=IP+1
CALL LOCIP (X,NFAIL,N,IP)
IE=IP
DO 10 I=IB,IE
CHECK FOR FAILURE TRUNCATED TESTING.
IF (DABS(DABS(X(I))-C(J,2)).LE.1.0D-08) TIMETR=.FALSE.
10 CONTINUE
IF (TIMETR) GO TO 20
IE=IE-1
M=M-1
TIMETR=.TRUE.
20 CONTINUE
TQ=C(J,2)
IET=IE
C
TRANSFORM THE FAILURES.
CALL TRANSF (X,TQ,IB,IBT,IET,NFAIL)
IBT=IET+1
30 CONTINUE
C
DO 40 I=1,M
X(I)=DABS(X(I))
40 CONTINUE
C
SORT THE TRANSFORMED FAILURES INTO INCREASING ORDER.
CALL SORTX (X,M)
C
DM=DBLE(FLOAT(M))
TWOM=2.0D0*DM
C
UNBIASED ESTIMATE OF BETA.
UNBETA=BETA*(DM-1.0D0)/DBLE(FLOAT(N))
WRITE (6,110) UNBETA
IF (GOF) GO TO 50
WRITE (6,100)
GO TO 70
C
50 SUMSQS=C.CD0
DO 60 I=1,M
TERM1=X(I)**UNBETA
TERM2=DBLE(FLOAT(2*I-1))/TWOM
TERM=TERM1-TERM2
SUMSQS=SUMSQS+TERM**2

```

```

CVM 10
CVM 20
CVM 30
CVM 40
CVM 50
CVM 60
CVM 70
CVM 80
CVM 90
CVM 100
CVM 110
CVM 120
CVM 130
CVM 140
CVM 150
CVM 160
CVM 170
CVM 180
CVM 190
CVM 200
CVM 210
CVM 220
CVM 230
CVM 240
CVM 250
CVM 260
CVM 270
CVM 280
CVM 290
CVM 300
CVM 310
CVM 320
CVM 330
CVM 340
CVM 350
CVM 360
CVM 370
CVM 380
CVM 390
CVM 400
CVM 410
CVM 420
CVM 430
CVM 440
CVM 450
CVM 460
CVM 470
CVM 480
CVM 490
CVM 500
CVM 510
CVM 520
CVM 530
CVM 540
CVM 550
CVM 560
CVM 570

```

60	CONTINUE	CVM	580
C	CRAMER-VON MISES STATISTIC.	CVM	590
	CM2=SUMSQS+(1.0D0/(12.0D0*DM))	CVM	600
	WRITE (6,90) CM2,M	CVM	610
C		CVM	620
70	RETURN	CVM	630
C		CVM	640
80	FORMAT (42H1 CRAMER - VON MISES GOODNESS OF FIT TEST.///18H0ESTIMACVM	650	
	1TED BETA = ,1PD15.7/22H0NUMBER OF FAILURES = ,I6)	CVM	660
90	FORMAT (32H0CRAMER - VON MISES STATISTIC = ,1PD15.7/52H0REJECT THECVM	670	
	1 WEIBULL INTENSITY MODEL IF THE STATISTIC/48H EXCEEDS THE APPROPRIACVM	680	
	2ATE CRITICAL VALUE FOR M = ,I5/)	CVM	690
100	FORMAT (77H0THE CRAMER - VON MISES GOODNESS OF FIT TEST IS NOT APPCVM	700	
	1ROPPIATE FOR THIS CASE/58H BECAUSE ONE OR MOPE SYSTEMS HAVE NON-ZECVM	710	
	2RD STARTING TIMES./)	CVM	720
110	FORMAT (29H0UNBIASED ESTIMATE OF BETA = ,1PD15.7////)	CVM	730
	END	CVM	740

<pre> SUBROUTINE INDATA (X,C,NOGOOD,GOF,HALT,NFAIL,NSYS,M,K,IUNIT,ECHO) COMMENT      THIS SUBROUTINE READS IN THE BEGINNING AND ENDING TIMES, C            AND THE FAILURE TIMES. C C            THE ARRANGEMENT OF INPUT IS AS FOLLOWS: C C            BEGINNING AND ENDING TIMES FOR FIRST SYSTEM, FAILURE C            TIMES FOR FIRST SYSTEM, NEGATIVE VALUE AS TRAILER. C            BEGINNING AND ENDING TIMES FOR SECOND SYSTEM, FAILURE C            TIMES FOR SECOND SYSTEM, NEGATIVE VALUE FOR TRAILER. C            ... C            ... C            ... C            BEGINNING AND ENDING TIMES FOR K-TH SYSTEM, FAILURE C            TIMES FOR K-TH SYSTEM, NEGATIVE VALUE AS TRAILER. C            NEGATIVE VALUE TO MARK END OF CASE. C            (REPEAT ABOVE FOR AS MANY CASES AS NEEDED.) C            NEGATIVE VALUE TO MARK END OF RUN. C C            INPUT IS FREE-FIELD, REQUIRING ONLY THAT AT LEAST ONE BLANK C            COLUMN SEPARATE ADJACENT VALUES. C C            DOUBLE PRECISION X(NFAIL), C(NSYS,2) C            LOGICAL ECHO, GOF, HALT, NOGOOD C C            GOF=.TRUE. C            HALT=.FALSE. C            NOGOOD=.FALSE. C            WRITE (6,130) C C            J=1 C            I=1 C C            ----- C            BEGIN INPUT CYCLE. C            ----- C C            10 CALL INREAL (IUNIT,C(J,1)) C               NEGATIVE VALUE TO MARK THE END OF THIS CASE. C            IF (C(J,1).LT.0.000) GO TO 50 C            CALL INREAL (IUNIT,C(J,2)) C            IF (DABS(C(J,1)).GT.1.0D-08) GOF=.FALSE. C            J=J+1 C            IF (J.LE.NSYS) GO TO 20 C            WRITE (6,100) J C            NOGOOD=.TRUE. C C            20 CALL INREAL (IUNIT,X(I)) C               NEGATIVE VALUE TO MARK THE END OF THIS SYSTEM. C            IF (X(I).LT.0.000) GO TO 10 C            IF (X(I).GT.1.0D-15) GO TO 30 C            WRITE (6,110) C            NOGOOD=.TRUE. C C            EACH FAILURE MUST FALL WITHIN THE TEST PERIOD. C C            30 IF (C(J-1,1).LE.X(I).AND.X(I).LE.C(J-1,2)) GO TO 40 C            WRITE (6,120) X(I),C(J-1,1),C(J-1,2) C            NOGOOD=.TRUE. C            40 IF (MOD(J,2).EQ.0) X(I)=-X(I) </pre>	<pre> INDAA 10 INDAA 20 INDAA 30 INDAA 40 INDAA 50 INDAA 60 INDAA 70 INDAA 80 INDAA 90 INDAA100 INDAA110 INDAA120 INDAA130 INDAA140 INDAA150 INDAA160 INDAA170 INDAA180 INDAA190 INDAA200 INDAA210 INDAA220 INDAA230 INDAA240 INDAA250 INDAA260 INDAA270 INDAA280 INDAA290 INDAA300 INDAA310 INDAA320 INDAA330 INDAA340 INDAA350 INDAA360 INDAA370 INDAA380 INDAA390 INDAA400 INDAA410 INDAA420 INDAA430 INDAA440 INDAA450 INDAA460 INDAA470 INDAA480 INDAA490 INDAA500 INDAA510 INDAA520 INDAA530 INDAA540 INDAA550 INDAA560 INDAA570 </pre>
--	---

I=I+1	INDAA580
IF (I.LE.NFAIL) GO TO 20	INDAA590
WRITE (6,90) I	INDAA600
NOGOOD=.TRUE.	INDAA610
GO TO 20	INDAA620
C - - - - -	INDAA630
C - - - - -	INDAA640
C - - - - -	INDAA650
50 M=I-1	INDAA660
IF (M.LE.0) GO TO 60	INDAA670
C - - - - -	INDAA680
TOTAL NUMBER OF FAILURES.	INDAA690
WRITE (6,70) M	INDAA700
K=J-1	INDAA710
C - - - - -	INDAA720
TOTAL NUMBER OF SYSTEMS.	INDAA730
WRITE (6,80) K	INDAA740
IF (ECHO) CALL REPEAT (X,C,NFAIL,NSYS,M,K)	INDAA750
RETURN	INDAA760
C - - - - -	INDAA770
C - - - - -	INDAA780
C - - - - -	INDAA790
60 HALT=.TRUE.	INDAA800
WRITE (6,140)	INDAA810
RETURN	INDAA820
C - - - - -	INDAA830
70 FORMAT (28HCTOTAL NUMBER OF FAILURES = ,I5)	INDAA840
80 FORMAT (28HCTOTAL NUMBER OF SYSTEMS = ,I5)	INDAA850
90 FORMAT (18H0 INDATA ERROR -- ,I6,22H IS TOO MANY FAILURES./)	INDAA860
100 FORMAT (18H0 INDATA ERROR -- ,I6,21H IS TOO MANY SYSTEMS./)	INDAA870
110 FORMAT (52H0 INDATA ERROR -- A FAILURE AT 0.0000000 WAS INPUT. /71	INDAA880
140 THE PROBABILITY OF SUCH A FAILURE TIME IS 0.0 ACCORDING TO THE	INDAA890
2MODEL./)	INDAA900
120 FORMAT (33H0 INDATA ERROR -- THE FAILURE AT ,1PD10.3/44H DOES NOT	INDAA910
1 FALL WITHIN THE TEST PERIOD FROM ,1PD10.3,4H TO ,1PD10.3/)	INDAA920
130 FORMAT (19H1 DATA INPUT PHASE./)	INDAA930
140 FORMAT (28H0 PROGRAM RUN ENDS NORMALLY./1H1)	
END	



SUBROUTINE LOCIP (X,NFAIL,M,IP)	LOCIP 10
COMMENT THIS SUBROUTINE LOCATES THE POSITION OF THE LAST FAILURE	LOCIP 20
C ASSOCIATED WITH THE SYSTEM WHICH HAD FAILURE 'X(IP)'. ON	LOCIP 30
C RETURN, 'IP' INDEXES THIS LAST FAILURE.	LOCIP 40
C	LOCIP 50
DOUBLE PRECISION X(NFAIL)	LOCIP 60
C	LOCIP 70
IB=IP+1	LOCIP 80
MM1=M-1	LOCIP 90
DO 10 I=IB,MM1	LOCIP100
IF ((X(I).LT.0.000.AND.X(I+1).LT.0.000).OR.(X(I).GE.0.000.AND.X(I+1).GE.0.000)) GO TO 10	LOCIP110
IP=I	LOCIP120
RETURN	LOCIP130
10 CONTINUE	LOCIP140
IP=M	LOCIP150
RETURN	LOCIP160
END	LOCIP170
	LOCIP180

SUBROUTINE LOGS (X,C,CLN,NFAIL,NSYS,M,K,SUMLNX)	LOGS 10
COMMENT THIS SUBROUTINE TAKES LOGARITHMS.	LOGS 20
C	LOGS 30
DOUBLE PRECISION X(NFAIL), C(NSYS,2), CLN(NSYS,2)	LOGS 40
DOUBLE PRECISION SUMLNX	LOGS 50
C	LOGS 60
C LOGARITHMS OF BEGINNING AND ENDING TIMES.	LOGS 70
DO 20 I=1,K	LOGS 80
CLN(I,2)=DLOG(C(I,2))	LOGS 90
IF (C(I,1).LE.0.000) GO TO 10	LOGS 100
CLN(I,1)=DLOG(C(I,1))	LOGS 110
GO TO 20	LOGS 120
10 C(I,1)=0.000	LOGS 130
CLN(I,1)=0.000	LOGS 140
20 CONTINUE	LOGS 150
C	LOGS 160
C SUM OF LOGARITHMS OF FAILURES.	LOGS 170
SUMLNX=0.000	LOGS 180
DO 30 I=1,M	LOGS 190
SUMLNX=SUMLNX+DLOG(DABS(X(I)))	LOGS 200
30 CONTINUE	LOGS 210
RETURN	LOGS 220
C	LOGS 230
END	LOGS 240

C-	SUBROUTINE MLEW (SUMLN, C, CB, CLN, NOGOOD, NSYS, M, K, BETA)	MLEW 10
C-		MLEW 20
C-	ESTIMATES OF PARAMETERS OF THE WEIBULL INTENSITY MODEL.	MLEW 30
C-		MLEW 40
C-	THIS SUBROUTINE ESTIMATES BETA AND LAMBDA OF THE	MLEW 50
C-	WEIBULL INTENSITY FUNCTION $R(X) = \text{LAMBDA} * \text{BETA} * X^{**}(\text{BETA}-1.0)$	MLEW 60
C-	BETA IS DETERMINED BY AN ITERATIVE PROCESS WHICH	MLEW 70
C-	EXAMINES THE SIGNED DIFFERENCE OF A CONSTANT MINUS A FUNCTION OF	MLEW 80
C-	BETA AS BETA IS DECREASED FROM A LARGE INITIAL ESTIMATE BY	MLEW 90
C-	NON-POSITIVE POWERS OF 10.0 UNTIL AN EPSILON TOLERANCE IS	MLEW 100
C-	SATISFIED OR BETA IS LESS THAN 0.00000001 IN VALUE.	MLEW 110
C-	LAMBDA IS CALCULATED BASED ON BETA.	MLEW 120
C		MLEW 130
	DOUBLE PRECISION C(NSYS,2), CB(NSYS,2), CLN(NSYS,2)	MLEW 140
	DOUBLE PRECISION BETA, LAMBDA, EPSLN	MLEW 150
	DOUBLE PRECISION DENOM, DENOM1, DENOM2, TOP, TOP1, TOP2	MLEW 160
	DOUBLE PRECISION A, ABDI, ADJ, D, DIFF, TOTFAL	MLEW 170
	DOUBLE PRECISION SUMLN	MLEW 180
	LOGICAL NOGOOD	MLEW 190
C		MLEW 200
	WRITE (6,110)	MLEW 210
	BETA=1.00+01	MLEW 220
	EPSLN=1.00-05	MLEW 230
	TOTFAL=DBLE(FLOAT(M))	MLEW 240
	NPDIF=0	MLEW 250
	NOGOOD=.FALSE.	MLEW 260
C		MLEW 270
C	CONSTANT NOT INVOLVING BETA.	MLEW 280
	A=SUMLN/TOTFAL	MLEW 290
	WRITE (6,130) A	MLEW 300
C		MLEW 310
C	-----	MLEW 320
C	BEGIN ITERATION PROCEDURE.	MLEW 330
C	-----	MLEW 340
	ADJ=1.000	MLEW 350
	IZERO=0	MLEW 360
	WRITE (6,150)	MLEW 370
C		MLEW 380
10	TOP1=0.000	MLEW 390
	TCP2=0.000	MLEW 400
	DENOM1=0.000	MLEW 410
	DENOM2=0.000	MLEW 420
	DO 20 I=1,K	MLEW 430
	DO 20 J=1,2	MLEW 440
	CB(I,J)=C(I,J)**BETA	MLEW 450
20	CONTINUE	MLEW 460
C		MLEW 470
	DO 30 I=1,K	MLEW 480
	TOP1=TOP1+CB(I,1)*CLN(I,1)	MLEW 490
	TOP2=TOP2+CB(I,2)*CLN(I,2)	MLEW 500
	DENOM1=DENOM1+CB(I,1)	MLEW 510
	DENOM2=DENOM2+CB(I,2)	MLEW 520
30	CONTINUE	MLEW 530
C		MLEW 540
	TOP=TOP2-TCP1	MLEW 550
	DENOM=DENOM2-DENOM1	MLEW 560
	D=(TOP/DENOM)-1.000/BETA	MLEW 570

DIFF=A-D	MLEW 580
LAMBDA=TOTFAL/DENOM	MLEW 590
WRITE (6,120) BETA,D,DIFF,LAMBDA	MLEW 600
ABDI=DABS(DIFF)	MLEW 610
IF (ABDI.LE.EPSILN) GO TO 50	MLEW 620
IF (DIFF.GT.0.000) GO TO 40	MLEW 630
NPDIFF=0	MLEW 640
BETA=BETA-ADJ	MLEW 650
IF (BETA.LE.1.00-15) GO TO 60	MLEW 660
GO TO 10	MLEW 670
C - - - - -	MLEW 680
C BETA TOO SMALL -- DECREASE STEP SIZE AND USE PREVIOUS BETA.	MLEW 690
C - - - - -	MLEW 700
40 BETA=BETA+ADJ	MLEW 710
NPDIFF=NPDIFF+1	MLEW 720
IF (NPDIFF.GT.10) GO TO 70	MLEW 730
ADJ=1.00-1*ADJ	MLEW 740
IF (DABS(DLOG10(DABS(BETA))-DLOG10(ADJ)).GT.1.50+1) GO TO 80	MLEW 750
BETA=BETA-ADJ	MLEW 760
GO TO 10	MLEW 770
C - - - - -	MLEW 780
C EPSILON TOLERANCE MET.	MLEW 790
C - - - - -	MLEW 800
50 WRITE (6,140) BETA,LAMBDA,ABDI,EP SILN,ADJ	MLEW 810
GO TO 100	MLEW 820
C	MLEW 830
60 IZERO=IZERO+1	MLEW 840
IF (IZERO.LE.8) GO TO 40	MLEW 850
WRITE (6,160)	MLEW 860
GO TO 90	MLEW 870
70 WRITE (6,170)	MLEW 880
GO TO 90	MLEW 890
80 WRITE (6,180)	MLEW 900
90 NOGOOD=.TRUE.	MLEW 910
C	MLEW 920
100 RETURN	MLEW 930
C	MLEW 940
C	MLEW 950
110 FORMAT (65H1 ESTIMATION OF THE PARAMETERS OF THE WEIBULL INTENSITY	MLEW 960
1 FUNCTION./)	MLEW 970
120 FORMAT (1H,4(1PD16.9,4X))	MLEW 980
130 FORMAT (35HCONSTANT NOT INVOLVING BETA: A = ,1PD15.7/)	MLEW 990
140 FORMAT (30H1THE FINAL ESTIMATE OF BETA = ,1PD15.7//32H THE FINAL E	MLEW1000
1STIMATE OF LAMBDA = ,1PD15.7//16H CONVERGENCE TO ,1PD15.7/30H WHICH	MLEW1010
2H IS LESS THAN EPSILON = ,1PD15.7//24H THE FINAL STEP SIZE IS ,1PD	MLEW1020
315.7/)	MLEW1030
150 FORMAT (1H0/16H0 ESTIMATED BETA,5X,15H FUNCTION D(B*),8X,10H A - D	MLEW1040
1(B*),6X,17H ESTIMATED LAMBDA/)	MLEW1050
160 FORMAT (41H0 MLEW ERROR -- BETA LESS THAN 0.00000001)	MLEW1060
170 FORMAT (53H0 MLEW ERROR -- INITIAL ESTIMATE OF BETA IS TOO SMALL)	MLEW1070
180 FORMAT (50H0 MLEW ERROR -- STEP-SIZE HAS BECOME INSIGNIFICANT/20H	MLEW1080
1BETA NOT RESOLVABLE/)	MLEW1090
END	MLEW1100

```

      SUBROUTINE PRNTX (X,NFAIL,IB,IE)
COMMENT      THIS SUBROUTINE PRINTS THE FAILURES 'X(1B)' THROUGH
C            'X(1E)'.
C
      DOUBLE PRECISION X(NFAIL)
      DOUBLE PRECISION XTEMP(5)
      DATA L /5/
C
      IT=0
      DO 20 I=1B,IE
      IT=IT+1
      XTEMP(IT)=DABS(X(I))
      IF (I.EQ.IE) GO TO 10
      IF (IT.LT.L) GO TO 20
10  WRITE (6,30) (XTEMP(J),J=1,IT)
      IT=0
20  CONTINUE
C
      RETURN
C
30  FORMAT (1H ,30X,1P5D10.3)
      END

```

```

PRNTX 10
PRNTX 20
PRNTX 30
PRNTX 40
PRNTX 50
PRNTX 60
PRNTX 70
PRNTX 80
PRNTX 90
PRNTX100
PRNTX110
PRNTX120
PRNTX130
PRNTX140
PRNTX150
PRNTX160
PRNTX170
PRNTX180
PRNTX190
PRNTX200
PRNTX210
PRNTX220

```

SUBROUTINE REPEAT (X,C,NFAIL,NSYS,M,K)	REPET 10
COMMENT THIS SUBROUTINE REPEATS THE INPUT DATA.	REPET 20
C	REPET 30
DOUBLE PRECISION X(NFAIL), C(NSYS,2)	REPET 40
C	REPET 50
WRITE (6,20)	REPET 60
IP=C	REPET 70
C	REPET 80
DO 10 J=1,K	REPET 90
WRITE (6,30) C(J,1),C(J,2)	REPET100
IB=IP+1	REPET110
CALL LOCIP (X,NFAIL,M,IP)	REPET120
IE=IP	REPET130
CALL PRNTX (X,NFAIL,IB,IE)	REPET140
10 CONTINUE	REPET150
C	REPET160
RETURN	REPET170
C	REPET180
20 FORMAT (1H0/34H0SYSTEM STARTING AND ENDING TIMES./1H0,35X,10H FAIL	REPET190
URES./)	REPET200
30 FORMAT (1H ,1P2D12.3)	REPET210
END	REPET220

SUBROUTINE SORTX (X,N)	SORTX 10
COMMENT THIS SUBROUTINE SORTS THE VECTOR X INTO INCREASING ORDER.	SORTX 20
C	SORTX 30
DOUBLE PRECISION X(N)	SORTX 40
M=N	SGRTX 50
10 M=M/2	SORTX 60
IF (M.EQ.0) RETURN	SORTX 70
K=N-M+1	SORTX 80
J=1	SORTX 90
20 I=J	SORTX100
30 L=I+M	SORTX110
IF (X(I).GT.X(L)) GO TO 50	SORTX120
40 J=J+1	SORTX130
IF (J-K) 20,10,10	SORTX140
50 T=X(L)	SORTX150
X(L)=X(I)	SORTX160
X(I)=T	SORTX170
I=I-M	SORTX180
IF (I) 40,40,30	SORTX190
END	SORTX200

```

      SUBROUTINE TRANSF (X,TQ,IB,IBT,IET,NFAIL)
COMMENT      THIS SUBROUTINE TRANSFORMS THE FAILURE TIMES.
C
      DOUBLE PRECISION X(NFAIL), TQ
C
      IF (IET.LE.0) RETURN
      J=18
      DO 10 I=1BT,IET
      X(I)=X(J)/TQ
      J=J+1
10 CONTINUE
      RETURN
      END

```

```

TRANF 10
TRANF 20
TRANF 30
TRANF 40
TRANF 50
TRANF 60
TRANF 70
TRANF 80
TRANF 90
TRANF100
TRANF110
TRANF120
TRANF130

```



SUBROUTINE INREAL (CHANNL,DESTIN)	INREL 10
COMMENT FREE FIELD READ.	INREL 20
(A FORTRAN TRANSLATION OF ACM ALGORITHM 239.)	INREL 30
	INREL 40
EACH CALL OF THIS SUBROUTINE WILL READ ONE REAL NUMBER	INREL 50
FROM UNIT 'CHANNL', CONVERT IT, AND STORE IT IN 'DESTIN'.	INREL 60
	INREL 70
	INREL 80
INTEGER CHANNL	INREL 90
DOUBLE PRECISION DESTIN	INREL 100
REAL SIG, FP, D	INREL 110
INTEGER ESIG, EP, IP, CH	INREL 120
INTEGER CHAR, UNSGND	INREL 130
	INREL 140
SIG=1.0	INREL 150
EP=0	INREL 160
FP=0	INREL 170
	INREL 180
10 CH=CHAR(CHANNL)	INREL 190
SUPPRESS INITIAL BLANKS.	INREL 200
IF (CH.EQ.14) GO TO 10	INREL 210
12 = '+' AND 11 = '-'	INREL 220
IF (CH.NE.12) GO TO 20	INREL 230
CH=CHAR(CHANNL)	INREL 240
GO TO 30	INREL 250
20 IF (CH.NE.11) GO TO 30	INREL 260
SIG=-1.0	INREL 270
CH=CHAR(CHANNL)	INREL 280
30 CONTINUE	INREL 290
IF (CH.GT.13) GO TO 70	INREL 300
IF (CH.GE.10) GO TO 40	INREL 310
IP=UNSGND(CHANNL,CH)	INREL 320
GO TO 50	INREL 330
40 CONTINUE	INREL 340
IP=0	INREL 350
50 CONTINUE	INREL 360
IF (CH.NE.10) GO TO 100	INREL 370
CH=CHAR(CHANNL)	INREL 380
FP=0	INREL 390
IF (CH.GE.10) GO TO 100	INREL 400
D=0.1	INREL 410
	INREL 420
60 FP=FP+FLOAT(CH)*D	INREL 430
D=D*0.1	INREL 440
CH=CHAR(CHANNL)	INREL 450
IF (CH.LT.10) GO TO 60	INREL 460
GO TO 100	INREL 470
70 CONTINUE	INREL 480
IF (CH.NE.13) GO TO 80	INREL 490
IP=1	INREL 500
GO TO 90	INREL 510
80 CONTINUE	INREL 520
WRITE (6,180)	INREL 530
STOP	INREL 540
90 CONTINUE	INREL 550
100 CONTINUE	INREL 560
	INREL 570
IF (CH.NE.13) GO TO 160	

CH=CHAR(CHANNL)	INREL580
ESIG=1	INREL590
IF (CH.NE.12.AND.CH.NE.14) GO TO 110	INREL600
CH=CHAR(CHANNL)	INREL610
GO TO 130	INREL620
110 CONTINUE	INREL630
IF (CH.NE.11) GO TO 120	INREL640
NEGATIVE EXPONENT.	INREL650
C   ESIG=-1	INREL660
CH=CHAR(CHANNL)	INREL670
120 CONTINUE	INREL680
130 CONTINUE	INREL690
IF (CH.GE.10) GO TO 140	INREL700
EP=UNSGND(CHANNL,CH)*ESIG	INREL710
GO TO 150	INREL720
140 CONTINUE	INREL730
WRITE (6,190)	INREL740
STOP	INREL750
150 CONTINUE	INREL760
160 CONTINUE	INREL770
C	INREL780
IF (CH.NE.14) GO TO 170	INREL790
C	INREL800
DESTIN=DBLE(SIG*(FLOAT(IP)+FP)*(10.0**EP))	INREL810
C	INREL820
RETURN	INREL830
170 WRITE (6,200)	INREL840
STOP	INREL850
C	INREL860
180 FORMAT (36H0 INREAL ERROR -- CH OUT OF RANGE. /)	INREL870
190 FORMAT (41H0 INREAL ERROR -- EXPONENT NOT DIGIT. /)	INREL880
200 FORMAT (53H0 INREAL ERROR -- NO BLANK FOUND BETWEEN DATA VALUES./)	INREL890
END	INREL900

INTEGER FUNCTION CHAR (CHANNL)	CHAR	10
COMMENT 'CHAR' RETURNS AN INTEGER VALUE FOR THE NEXT CHARACTER	CHAR	20
C ON UNIT 'CHANNL'.	CHAR	30
C	CHAR	40
INTEGER C	CHAR	50
INTEGER CHANNL	CHAR	60
INTEGER STRING(15)	CHAR	70
DATA STRING(1), STRING(2), STRING(3), STRING(4), STRING(5), STRING(6),	CHAR	80
STRING(7), STRING(8), STRING(9), STRING(10), STRING(11), STRING(12),	CHAR	90
STRING(13), STRING(14), STRING(15) /1H0, 1H1, 1H2, 1H3, 1H4, 1H5, 1H6,	CHAR	100
1H7, 1H8, 1H9, 1H., 1H-, 1H+, 1HE, 1H /	CHAR	110
DATA LSTR /15/	CHAR	120
CALL INSYML (CHANNL,STRING,LSTR,C)	CHAR	130
C IS CHARACTER LEGAL?	CHAR	140
IF (C.LE.0) GO TO 10	CHAR	150
CHAR=C-1	CHAR	160
RETURN	CHAR	170
10 WRITE (6,20)	CHAR	180
STOP	CHAR	190
C	CHAR	200
20 FORMAT (58H3 CHAR ERROR -- ILLEGAL INPUT CHARACTER. PROGRAM ABORT	CHAR	210
1ED.//)	CHAR	220
END	CHAR	230

SUBROUTINE INSYML (IUNIT,STRING,LSTR,I)	INSYL 10
COMMENT THIS SUBROUTINE EXAMINES THE NEXT CHARACTER ON 'IUNIT'	INSYL 20
C AND DETERMINES ITS POSITION NUMBER 'I' WITHIN THE 'STRING' OF	INSYL 30
C LENGTH 'LSTR'.	INSYL 40
C	INSYL 50
INTEGER STRING(LSTR)	INSYL 60
INTEGER BUFFER(160)	INSYL 70
DATA IP /0/	INSYL 80
DATA LENGTH /80/	INSYL 90
C	INSYL100
IF (IP.NE.0) GO TO 10	INSYL110
C FILL INPUT BUFFER.	INSYL120
READ (IUNIT,20) (BUFFER(J),J=1,LENGTH)	INSYL130
10 CONTINUE	INSYL140
IP=IP+1	INSYL150
IC=IP	INSYL160
C MATCH THE CHARACTER.	INSYL170
CALL MATCH (BUFFER(IC),STRING,LSTR,I)	INSYL180
C IF POINTER 'IP' HAS REACHED THE END OF A LINE, RESET IT.	INSYL190
IF (IP.EQ.LENGTH) IP=0	INSYL200
C	INSYL210
RETURN	INSYL220
C	INSYL230
20 FORMAT (128A1)	INSYL240
END	INSYL250

SUBROUTINE MATCH (CHAR,STRING,LSTR,IP)	MATCH 10
COMMENT THIS SUBROUTINE FINDS THE POSITION 'IP' OF 'CHAR' IN	MATCH 20
C 'STRING' WHICH HAS A LENGTH OF 'LSTR'.	MATCH 30
C	MATCH 40
INTEGER CHAR, STRING(LSTR)	MATCH 50
IP=0	MATCH 60
DO 10 I=1,LSTR	MATCH 70
IF (STRING(I).NE.CHAR) GO TO 10	MATCH 80
IP=I	MATCH 90
GO TO 20	MATCH100
10 CONTINUE	MATCH110
WRITE (6,30) CHAR	MATCH120
20 RETURN	MATCH130
C	MATCH140
30 FORMAT (31H0 MATCH ERROR -- THE CHARACTER ,A1,16H IS NOT MATCHED./	MATCH150
1)	MATCH160
END	MATCH170

```

      INTEGER FUNCTION UNSGND (CHANNL,CH)
COMMENT      THIS FUNCTION RETURNS THE NEXT UNSIGNED INTEGER FROM
C            'CHANNL'.
C
      INTEGER CHANNL, CH
      INTEGER CHAR
      INTEGER U
      U=0
10  U=10*U+CH
      CH=CHAR(CHANNL)
      IF (CH.LT.10) GO TO 10
      UNSGND=U
      RETURN
      END

```

```

UNSG  10
UNSG  20
UNSG  30
UNSG  40
UNSG  50
UNSG  60
UNSG  70
UNSG  80
UNSG  90
UNSG 100
UNSG 110
UNSG 120
UNSG 130
UNSG 140

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APPENDIX B  
INPUT FOR TEST CASES

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# INPUT DATA FOR TEST CASES

1.0	100.0	32.	44.	56.	75.	95.	-99.	-99.
12.2	45.3	10.0	14.5	16.8	457.9	-99	-99	
0.0	3256.3	.7	3.7	13.2	17.6	54.5	99.2	112.2 120.9 151.0 163.0
174.5	191.6	282.8						
355.2	486.3	490.5	513.3	558.4	678.1	688.0	785.9	887.0 1010.7
1029.1	1034.4	1136.1	1178.9	1259.7	1297.9	1419.7	1571.7	
1629.8	1702.3	1928.9	2072.3	2525.2	2928.5	3016.4	3181.0	
3256.3								
-99.	-99.							
0.0	79.0	0.0	20	45.	62	64	76	-8 -7
456.	789.	456	456.1	457	458	489	-99	-99
0.0	197.2	4.3	4.4	10.2	23.5	23.8	26.4	74.0 77.1 92.1 197.2
-999.								
0.0	190.8	0.1	5.6	18.6	19.5	24.2	26.7	45.1 45.8 75.7 79.7 98.6
		120.1	161.8	180.6	190.8			
-999								
0.0	195.8	8.4	32.5	44.7	48.4	50.6	73.6	98.7 112.2 129.8 136.0
		195.8						
-999								
-999								
0.0	800.0	45.	456.	467.	477.	484.	492.	
0.12	564.0	65.0	78.	89.	99.1	-99	-99	
-99								

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APPENDIX C  
OUTPUT FOR TEST CASES

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WEIBULL INTENSITY MODEL PARAMETER ESTIMATION AND GOODNESS OF FIT TEST

VERSION OF 27 JULY 1979

DATA INPUT PHASE.

TOTAL NUMBER OF FAILURES = 5  
TOTAL NUMBER OF SYSTEMS = 1

SYSTEM STARTING AND ENDING TIMES.

FAILURES.

1.0000+00	1.0000+02	3.2000+01	4.4000+01	5.6000+01	7.5000+01	9.5000+01
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# ESTIMATION OF THE PARAMETERS OF THE WEIBULL INTENSITY FUNCTION.

CONSTANT NOT INVOLVING BETA: A = 4.0293284D+00

ESTIMATED BETA	FUNCTION D(B')	A - D(B')	ESTIMATED LAMBDA
1.00000000D+01	4.505170186D+00	-4.758417395D-01	5.00000000D-20
9.00000000D+00	4.494059075D+00	-4.647306284D-01	5.00000000D-18
8.00000000D+00	4.480170186D+00	-4.508417395D-01	5.00000000D-16
7.00000000D+00	4.462313043D+00	-4.329845966D-01	5.00000000D-14
6.00000000D+00	4.438503519D+00	-4.091750728D-01	5.00000000D-12
5.00000000D+00	4.405170186D+00	-3.758417395D-01	5.00000000D-10
4.00000000D+00	4.355170232D+00	-3.258417855D-01	5.00000000D-08
3.00000000D+00	4.271841458D+00	-2.425130113D-01	5.00000000D-06
2.00000000D+00	4.105630749D+00	-7.630230255D-02	5.00000000D-04
1.00000000D+00	3.651687057D+00	3.776413900D-01	5.00000000D-02
1.90000000D+00	4.079584382D+00	-5.025593598D-02	7.925722105D-04
1.80000000D+00	4.050771688D+00	-2.144324100D-02	1.256258774D-03
1.70000000D+00	4.018768973D+00	1.055947321D-02	1.991328615D-03
1.79000000D+00	4.047722570D+00	-1.839412345D-02	1.315480002D-03
1.78000000D+00	4.044641152D+00	-1.531270529D-02	1.377493745D-03
1.77000000D+00	4.041526963D+00	-1.219851680D-02	1.442431753D-03
1.76000000D+00	4.038379527D+00	-9.051080574D-03	1.510432003D-03
1.75000000D+00	4.035198358D+00	-5.869911384D-03	1.581638988D-03
1.74000000D+00	4.031982963D+00	-2.654516074D-03	1.656204028D-03
1.73000000D+00	4.028732840D+00	5.956065495D-04	1.734285593D-03
1.73900000D+00	4.031659521D+00	-2.331074881D-03	1.663851262D-03
1.73800000D+00	4.031335732D+00	-2.007285916D-03	1.671533381D-03
1.73700000D+00	4.031011595D+00	-1.683148672D-03	1.679251859D-03
1.73600000D+00	4.030687109D+00	-1.358662642D-03	1.687005549D-03
1.73500000D+00	4.030362274D+00	-1.033827318D-03	1.694795052D-03
1.73400000D+00	4.030037089D+00	-7.086421920D-04	1.702620534D-03
1.73300000D+00	4.029711553D+00	-3.831067529D-04	1.710482162D-03
1.73200000D+00	4.029385667D+00	-5.722049074D-05	1.718380103D-03
1.73100000D+00	4.029059429D+00	2.690171060D-04	1.726314523D-03
1.73190000D+00	4.029353059D+00	-2.461254957D-05	1.719171900D-03
1.73180000D+00	4.029320448D+00	7.998905460D-06	1.719964063D-03

THE FINAL ESTIMATE OF BETA = 1.7318C00D+C0  
THE FINAL ESTIMATE OF LAMBDA = 1.7199641D-03  
CONVERGENCE TO 7.9489J55D-C6  
WHICH IS LESS THAN EPSILON = 1.0C0C0C00D-C5  
THE FINAL STEP SIZE IS 1.0000C00D-C4

CRAMER - VON MISES GOODNESS OF FIT TEST.

ESTIMATED BETA = 1.7318000D+00

NUMBER OF FAILURES = 5

UNBIASED ESTIMATE OF BETA = 1.3854400D+00

THE CRAMER - VON MISES GOODNESS OF FIT TEST IS NOT APPROPRIATE FOR THIS CASE  
BECAUSE ONE OR MORE SYSTEMS HAVE NON-ZERO STARTING TIMES.

DATA INPUT PHASE.

INDATA ERROR -- THE FAILURE AT 1.0000+01  
DOES NOT FALL WITHIN THE TEST PERIOD FROM 1.2200+01 TO 4.5300+01

INDATA ERROR -- THE FAILURE AT 4.5790+02  
DOES NOT FALL WITHIN THE TEST PERIOD FROM 1.2200+01 TO 4.5300+01

TOTAL NUMBER OF FAILURES = 4

TOTAL NUMBER OF SYSTEMS = 1

SYSTEM STARTING AND ENDING TIMES.

FAILURES.

1.2200+01	4.5300+01
1.0000+01	1.4500+01
1.6800+01	4.5790+02

DATA INPUT PHASE.

TOTAL NUMBER OF FAILURES = 40

TOTAL NUMBER OF SYSTEMS = 1

## SYSTEM STARTING AND ENDING TIMES.

## FAILURES.

0. 3.2560+03

7.900D-01	3.700D+00	1.320D+01	1.760D+01	5.450D+01
9.920D+01	1.122D+02	1.209D+02	1.510D+02	1.630D+02
1.745D+02	1.916D+02	2.826D+02	3.552D+02	4.863D+02
4.905D+02	5.133D+02	5.584D+02	6.781D+02	6.880D+02
7.859D+02	8.870D+02	1.011D+03	1.029D+03	1.034D+03
1.136D+03	1.179D+03	1.260D+03	1.298D+03	1.420D+03
1.572D+03	1.630D+03	1.702D+03	1.929D+03	2.072D+03
2.525D+03	2.929D+03	3.016D+03	3.181D+03	3.256D+03



# ESTIMATION OF THE PARAMETERS OF THE WEIBULL INTENSITY FUNCTION.

CONSTANT NOT INVOLVING RETA: A = 6.0464988D+00

ESTIMATED RETA	FUNCTION D(B*)	A - D(B*)	ESTIMATED LAMBDA
1.0000000000+01	7.988346860D+00	-1.941848101D+00	2.984117360D-34
9.000000000D+00	7.977235749D+00	-1.930736990D+00	9.717181358D-31
8.000000000D+00	7.963346860D+00	-1.916848101D+00	3.164205766D-27
7.000000000D+00	7.945489718D+00	-1.898990958D+00	1.030360323D-23
6.000000000D+00	7.921680194D+00	-1.875181434D+00	3.355162321D-20
5.000000000D+00	7.888346860D+00	-1.841848101D+00	1.092541507D-16
4.000000000D+00	7.838346860D+00	-1.791848101D+00	3.557642908D-13
3.000000000D+00	7.755013527D+00	-1.708514768D+00	1.158475260D-09
2.000000000D+00	7.588346860D+00	-1.541848101D+00	3.772342990D-06
1.000000000D+00	7.088346860D+00	-1.041848101D+00	1.228388048D-02
9.000000000D-01	6.977235749D+00	-9.307369898D-01	2.758087392D-02
8.000000000D-01	6.838346860D+00	-7.918481009D-01	6.192706024D-02
7.000000000D-01	6.659775432D+00	-6.132766723D-01	1.390442087D-01
6.000000000D-01	6.421680194D+00	-3.751814342D-01	3.121945705D-01
5.000000000D-01	5.588346860D+00	-4.184810091D-02	7.009673453D-01
4.000000000D-01	6.047530534D+00	4.581518991D-01	1.573874966D+00
4.800000000D-01	6.005013527D+00	-1.031774382D-03	7.600200173D-01
4.890000000D-01	6.043357085D+00	4.148523242D-02	8.240475545D-01
4.899000000D-01	6.047113956D+00	3.141674139D-03	7.661922507D-01
4.898000000D-01	6.04697208D+00	-6.151962382D-04	7.606349965D-01
4.897000000D-01	6.046280289D+00	-1.984479930D-04	7.612504734D-01
4.897900000D-01	6.046655523D+00	2.184704576D-04	7.618664482D-01
4.897800000D-01	6.046613837D+00	-1.567638089D-04	7.613120484D-01
4.897700000D-01	6.046572150D+00	-1.150779227D-04	7.613736285D-01
4.897600000D-01	6.046530461D+00	-7.339033417D-05	7.614352135D-01
4.897500000D-01	6.04648770D+00	-3.170104328D-05	7.614968035D-01
		9.9899950084D-06	7.615583985D-01

THE FINAL ESTIMATE OF BETA = 4.8975000D-01  
THE FINAL ESTIMATE OF LAMBDA = 7.6155840D-01  
CONVERGENCE TO 9.9899501D-06  
WHICH IS LESS THAN EPSILON = 1.0000000D-05  
THE FINAL STEP SIZE IS 1.0000000D-05

CRAMER - VON MISES GOODNESS OF FIT TEST.

ESTIMATED BETA = 4.8975000D-01

NUMBER OF FAILURES = 40

UNBIASED ESTIMATE OF BETA = 4.6526250D-01

CRAMER - VON MISES STATISTIC = 6.8281012D-02

REJECT THE WEIBULL INTENSITY MODEL IF THE STATISTIC  
EXCEEDS THE APPROPRIATE CRITICAL VALUE FOR M = 39

DATA INPUT PHASE.

INDATA ERROR -- A FAILURE AT 0.000000 WAS INPUT.

THE PROBABILITY OF SUCH A FAILURE TIME IS 0.0 ACCORDING TO THE MODEL.

TOTAL NUMBER OF FAILURES = 7

TOTAL NUMBER OF SYSTEMS = 1

SYSTEM STARTING AND ENDING TIMES.

FAILURES.

0.	7.90000+01	0.
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DATA INPUT PHASE.

TOTAL NUMBER OF FAILURES = 5  
TOTAL NUMBER OF SYSTEMS = 1

SYSTEM STARTING AND ENDING TIMES.

FAILURES.

4.560D+02	7.89JD+02	4.56JD+02	4.561D+02	4.570D+02	4.580D+02	4.890D+02
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7.0000000000-04	6.396647100D+00	-2.582231089D-01	1.296970454D+04
6.0000000000-04	6.396644595D+00	-2.588206038D-01	1.514100403D+04
5.0000000000-04	6.396642090D+00	-2.588180980D-01	1.818083075D+04
4.0000000000-04	6.396639585D+00	-2.588155938D-01	2.274058011D+04
3.0000000000-04	6.396637080D+00	-2.588130887D-01	3.034017479D+04
2.0000000000-04	6.396634575D+00	-2.588105837D-01	4.553938276D+04
1.0000000000-04	6.396632070D+00	-2.588080787D-01	9.113704390D+04
9.0000000000-05	6.396631820D+00	-2.588078282D-01	1.012698598D+05
8.0000000000-05	6.396631569D+00	-2.588075777D-01	1.139358801D+05
7.0000000000-05	6.396631319D+00	-2.588073272D-01	1.302207638D+05
6.0000000000-05	6.396631068D+00	-2.588070767D-01	1.5193339428D+05
5.0000000000-05	6.396630818D+00	-2.588068262D-01	1.823323941D+05
4.0000000000-05	6.396630567D+00	-2.588065756D-01	2.279300721D+05
3.0000000000-05	6.396630317D+00	-2.588063251D-01	3.039262031D+05
2.0000000000-05	6.396630066D+00	-2.588060746D-01	4.559184672D+05
1.0000000000-05	6.396629816D+00	-2.588058241D-01	9.118952631D+05
9.0000000000-06	6.396629791D+00	-2.588057991D-01	1.013223440D+06
8.0000000000-06	6.396629766D+00	-2.588057740D-01	1.139883662D+06
7.0000000000-06	6.396629741D+00	-2.588057490D-01	1.302732518D+06
6.0000000000-06	6.396629715D+00	-2.588057239D-01	1.519864326D+06
5.0000000000-06	6.396629690D+00	-2.588056989D-01	1.823848858D+06
4.0000000000-06	6.396629665D+00	-2.588056738D-01	2.279825655D+06
3.0000000000-06	6.396629640D+00	-2.588056488D-01	3.039786985D+06
2.0000000000-06	6.396629615D+00	-2.588056237D-01	4.559709644D+06
1.0000000000-06	6.396629590D+00	-2.588055987D-01	9.119477621D+06
9.0000000000-07	6.396629588D+00	-2.588055962D-01	1.013275939D+07
8.0000000000-07	6.396629585D+00	-2.588055937D-01	1.139936161D+07
7.0000000000-07	6.396629583D+00	-2.588055912D-01	1.302785017D+07
6.0000000000-07	6.396629580D+00	-2.588055887D-01	1.519916826D+07
5.0000000000-07	6.396629578D+00	-2.588055862D-01	1.823901358D+07
4.0000000000-07	6.396629575D+00	-2.588055837D-01	2.279878155D+07
3.0000000000-07	6.396629573D+00	-2.588055812D-01	3.039839485D+07
2.0000000000-07	6.396629570D+00	-2.588055786D-01	4.559762144D+07
1.0000000000-07	6.396629568D+00	-2.588055761D-01	9.119530122D+07
9.0000000000-08	6.396629567D+00	-2.588055759D-01	1.013281189D+08
8.0000000000-08	6.396629567D+00	-2.588055756D-01	1.139941411D+08
7.0000000000-08	6.396629567D+00	-2.588055754D-01	1.302790267D+08
6.0000000000-08	6.396629567D+00	-2.588055751D-01	1.519922076D+08
5.0000000000-08	6.396629566D+00	-2.588055749D-01	1.823906608D+08
4.0000000000-08	6.396629566D+00	-2.588055746D-01	2.279883406D+08
3.0000000000-08	6.396629566D+00	-2.588055744D-01	3.039844735D+08
2.0000000000-08	6.396629566D+00	-2.588055741D-01	4.559767394D+08
1.0000000000-08	6.396629565D+00	-2.588055739D-01	9.119535372D+08

MLEW ERROR -- BETA LESS THAN 0.00000001

DATA INPUT PHASE.

TOTAL NUMBER OF FAILURES = 36  
 TOTAL NUMBER OF SYSTEMS = 3

SYSTEM STARTING AND ENDING TIMES.

FAILURES.

0.	1.9720+02	4.3000+00	4.4000+00	1.0200+01	2.3500+01	2.3800+01
		2.6400+01	7.4000+01	7.7100+01	9.2100+01	1.9720+02
0.	1.9080+02	1.5000+01	5.6000+00	1.8600+01	1.9500+01	2.4200+01
		2.6700+01	4.5100+01	4.5800+01	7.5700+01	7.9700+01
		9.8600+01	1.2010+02	1.6180+02	1.8060+02	1.9080+02
0.	1.9580+02	8.4000+00	3.2500+01	4.4700+01	4.8400+01	5.0600+01
		7.3600+01	9.8700+01	1.1220+02	1.2980+02	1.3600+02
						1.9580+02



# ESTIMATION OF THE PARAMETERS OF THE WEIBULL INTENSITY FUNCTION.

CONSTANT NOT INVOLVING REIA: A = 3.6731896D+00

ESTIMATED BETA	FUNCTION D(B')	A - D(B')	ESTIMATED LAMBDA
1.000000000D+01	5.172764354D+00	-1.499574705D+00	1.527402235D-22
9.000000000D+00	5.161470246D+00	-1.468280598D+00	2.977461975D-20
8.000000000D+00	5.147396282D+00	-1.474206833D+00	5.803097229D-18
7.000000000D+00	5.129352022D+00	-1.456162373D+00	1.130813934D-15
6.000000000D+00	5.105353381D+00	-1.432163732D+00	2.203137001D-13
5.000000000D+00	5.071828974D+00	-1.398639326D+00	4.291501795D-11
4.000000000D+00	5.021635991D+00	-1.348446342D+00	8.357833094D-09
3.000000000D+00	4.938107813D+00	-1.264918165D+00	1.627398353D-06
2.000000000D+00	4.771244493D+00	-1.098054844D+00	3.168174072D-04
1.000000000D+00	4.271046084D+00	-5.978564354D-01	6.166495375D-02
9.000000000D-01	4.159915038D+00	-4.867253891D-01	1.044615824D-01
8.000000000D-01	4.021066197D+00	-3.478165480D-01	1.769595169D-01
7.000000000D-01	3.842414799D+00	-1.692251504D-01	2.997715275D-01
6.000000000D-01	3.624299575D+00	6.869007354D-02	5.078155206D-01
6.900000000D-01	3.821708868D+00	-1.485192189D-01	3.159962865D-01
6.800000000D-01	3.800393997D+00	-1.272043479D-01	3.330991836D-01
6.700000000D-01	3.778442920D+00	-1.052532716D-01	3.511277462D-01
6.600000000D-01	3.755826720D+00	-8.263707150D-02	3.701320741D-01
6.500000000D-01	3.732514698D+00	-5.932504969D-02	3.901649784D-01
6.400000000D-01	3.708474238D+00	-3.528458948D-02	4.112821287D-01
6.300000000D-01	3.683670652D+00	-1.048100334D-02	4.335422075D-01
6.200000000D-01	3.658067015D+00	1.512263417D-02	4.570070733D-01
6.290000000D-01	3.681146920D+00	-7.957271513D-03	4.358334296D-01
6.280000000D-01	3.678615152D+00	-5.425502957D-03	4.381367604D-01
6.270000000D-01	3.676075308D+00	-2.885659220D-03	4.404522640D-01
6.260000000D-01	3.673527350D+00	-3.377016037D-04	4.427800047D-01
6.250000000D-01	3.670971240D+00	2.218408839D-03	4.451200472D-01
6.259000000D-01	3.673272107D+00	-8.245808135D-05	4.430134543D-01
6.258000000D-01	3.673016782D+00	1.728670081D-04	4.432470270D-01
6.258900000D-01	3.673246578D+00	-5.652924357D-05	4.430368061D-01
6.258800000D-01	3.673221048D+00	-3.139959008D-05	4.430601590D-01
6.258700000D-01	3.673195518D+00	-5.869120840D-06	4.430835132D-01

THE FINAL ESTIMATE OF BETA = 6.25870000-01

THE FINAL ESTIMATE OF LAMBDA = 4.43083510-01

CONVERGENCE TO 5.86912080-06  
WHICH IS LESS THAN EPSILON = 1.00000000-05

THE FINAL STEP SIZE IS 1.00000000-05

CRAMER - VON MISES GOODNESS OF FIT TEST.

ESTIMATED BETA = 6.2587000D-01

NUMBER OF FAILURES = 36

UNBIASED ESTIMATE OF BETA = 5.5632889D-01

CRAMER - VON MISES STATISTIC = 1.2263065D-01

REJECT THE WEIBULL INTENSITY MODEL IF THE STATISTIC  
EXCEEDS THE APPROPRIATE CRITICAL VALUE FOR M = 33

DATA INPUT PHASE.

TOTAL NUMBER OF FAILURES = 12  
TOTAL NUMBER OF SYSTEMS = 1

SYSTEM STARTING AND ENDING TIMES.

FAILURES.

0.	8.0000+02	4.5000+01	4.5600+02	4.6700+02	4.7700+02	4.8400+02
		4.9200+02	1.2000-01	5.6400+02	6.5000+01	7.8000+01
		8.9000+01	9.9100+01			

# ESTIMATION OF THE PARAMETERS OF THE WEIRULL INTENSITY FUNCTION.

CONSTANT NOT INVOLVING BETA: A = 4.7045181D+00

ESTIMATED BETA	FUNCTION D(B')	A - D(B')	ESTIMATED LAMBDA
1.0000000000+01	6.584611728D+00	-1.880093620D+00	1.117587090D-28
9.000000000D+00	6.573500617D+00	-1.868982509D+00	8.940696716D-26
8.000000000D+00	6.559611728D+00	-1.855093620D+00	7.152557373D-23
7.000000000D+00	6.541754585D+00	-1.837236477D+00	5.722045898D-20
6.000000000D+00	6.517945061D+00	-1.813426953D+00	4.577636719D-17
5.000000000D+00	6.484611728D+00	-1.780093620D+00	3.662109375D-14
4.000000000D+00	6.434611728D+00	-1.730093620D+00	2.929687500D-11
3.000000000D+00	6.351278394D+00	-1.646760287D+00	2.343750000D-08
2.000000000D+00	6.184611728D+00	-1.480093620D+00	1.875000000D-05
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9.000000000D-01	5.573500617D+00	-8.689825087D-01	2.526848599D-02
8.000000000D-01	5.434611728D+00	-7.300936198D-01	5.710961816D-02
7.000000000D-01	5.256040299D+00	-5.515221913D-01	1.114341373D-01
6.000000000D-01	5.017945061D+00	-3.134269532D-01	2.174338991D-01
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5.600000000D-01	4.898974420D+00	-1.943793341D-01	2.840866682D-01
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5.400000000D-01	4.832759876D+00	-1.282417680D-01	3.247227028D-01
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5.070000000D-01	4.712225140D+00	-7.707032063D-03	4.048690910D-01
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5.050000000D-01	4.704413708D+00	1.043999676D-04	4.103182205D-01
5.059000000D-01	4.707936495D+00	-3.418387575D-03	4.078570950D-01
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5.057000000D-01	4.707154737D+00	-2.636629524D-03	4.084027329D-01
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5.0508000000-01	4.7047273530+00	-2.0924508190-04	4.1009885380-01
5.0507000000-01	4.7046881530+00	-1.7004488440-04	4.1012626820-01
5.0506000000-01	4.7046489510+00	-1.3084313460-04	4.1015368450-01
5.0505000000-01	4.7046097480+00	-9.1639832430-05	4.1018110260-01
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5.0503000000-01	4.7045313360+00	-1.3228570530-05	4.1023594420-01
5.0502000000-01	4.7044921280+00	2.5979389380-05	4.1026336780-01
5.0502900000-01	4.7045274160+00	-9.3078444090-06	4.1023868650-01

THE FINAL ESTIMATE OF BETA = 5.05029000-01

THE FINAL ESTIMATE OF LAMBDA = 4.10238690-01

CONVERGENCE TO 9.30784440-06  
WHICH IS LESS THAN EPSILON = 1.00000000-05

THE FINAL STEP SIZE IS 1.00000000-06

CRAMER - VON MISES GOODNESS OF FIT TEST.

ESTIMATED BETA = 5.05029000D-01

NUMBER OF FAILURES = 12

UNBIASED ESTIMATE OF BETA = 4.62943250-01

CRAMER - VON MISES STATISTIC = 1.4645211D-01

REJECT THE WEIBULL INTENSITY MODEL IF THE STATISTIC  
EXCEEDS THE APPROPRIATE CRITICAL VALUE FOR M = 12

DATA INPUT PHASE.

PROGRAM RUN ENDS NORMALLY.

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